Abstract: Fix integers $n$ and $k$ with $n$ at least $k$, and $n, k \geq 2$. With Bill Sands, we proved that if $P$ is a finite partially ordered set and every maximal chain $C$ of $P$ has between $n$ and $n + \frac{n - k}{k} - 2$ elements, then $P$ must contain $k$ pairwise disjoint maximal antichains. We also constructed a family of examples to show that these inequalities are tight. We raised and made observations about the dual problem, which Dave Howard and Tom Trotter [Georgia Tech] have recently solved.